## GCSE MARKING SCHEME

AUTUMN 2018

GCSE<br>MATHEMATICS - NUMERACY UNIT 2 - FOUNDATION TIER 3310U20-1

## INTRODUCTION

This marking scheme was used by WJEC for the 2018 examination. It was finalised after detailed discussion at examiners' conferences by all the examiners involved in the assessment. The conference was held shortly after the paper was taken so that reference could be made to the full range of candidates' responses, with photocopied scripts forming the basis of discussion. The aim of the conference was to ensure that the marking scheme was interpreted and applied in the same way by all examiners.

It is hoped that this information will be of assistance to centres but it is recognised at the same time that, without the benefit of participation in the examiners' conference, teachers may have different views on certain matters of detail or interpretation.

WJEC regrets that it cannot enter into any discussion or correspondence about this marking scheme.

## WJEC GCSE MATHEMATICS - NUMERACY (3310U20-1)

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| 2. (c) No stated or implied and valid explanation <br> e.g. "Half of 65640000 is 32820000 <br> which is more than 32000000 " <br> "Double 32 million is 64 million which is less than 65 (or 66) million" " 32 million is less than half the population" | E1 | F.T 'their 32 million' from (b) with correct conclusion <br> Do not accept <br> No and "because 32 million used facebook" <br> No and " $65640000 \div 2=32820000$ " <br> No and " $32+32=64$ " |
| :---: | :---: | :---: |
| $\begin{array}{lll} \hline \text { 2. (d) (i) } \\ 15 \times 60 & \text { OR } & 870 \div 60 \\ 900 \text { (mins) } & & 14.5 \text { (hours) } \\ \text { and False } & & \text { and False } \end{array}$ | $\begin{aligned} & \text { M1 } \\ & \text { A1 } \end{aligned}$ | ISW <br> Accept 14(....) hours <br> False needs to be stated or clearly implied <br> Do not accept "there's not 870 minutes in 15 hours" |
| (d) (ii) <br> Sight of <br> $75 \times 7$ and True OR <br> $525 \div 7$ and True OR <br> $525 \div 75$ and True | B2 | B1 for sight of <br> $75 \times 7$ OR $525 \div 7$ OR $525 \div 75$ <br> Do not accept "Alfie spends 525 minutes" |





\begin{tabular}{|c|c|c|}
\hline \begin{tabular}{l}
7. (Tablets £) \((55+48) \times 220(=£ 22660)\) (Covers £) \((48+14) \times 18 \quad(=£ 1116)\) \\
(£) 23776
\end{tabular} \& \begin{tabular}{l}
M1 \\
M1 \\
A1
\end{tabular} \& Allow with missing brackets Allow with missing brackets CAO \\
\hline \begin{tabular}{l}
7. Alternative method:
\[
\begin{aligned}
\& 55 \times 220+48 \times(220+18)+14 \times 18 \\
\& (=12100+11424+252) \\
\& O R \\
\& 5 \\
\& 5 \times 220+48 \times 220+48 \times 18+14 \times 18 \\
\& (=12100+10560+864+252)
\end{aligned}
\] \\
(£) 23776
\end{tabular} \& M2 \& \begin{tabular}{l}
Allow with missing brackets \\
M1 for: \\
Sight of any 1 of the following: \\
- \(55 \times 220+14 \times 18\) \\
- \(48 \times(220+18)\) \\
- 12 100, 10560, 864 and 252 \\
- 12100, 11424 and 252 \\
CAO
\end{tabular} \\
\hline \begin{tabular}{l}
8(a) Profit: sight of \\
\(5 \%\) or \(18 / 360\) or \(1 / 20\) or 0.05 \\
Any of the following methods, or equivalent \\
- \(0.05 \times 9100\) (million) \\
- \(0.05 \times 9100000000\) \\
- 9100 (million) \(-0.95 \times 9100\) \\
- 9100000000 \(0.95 \times 9100000000\) \\
(£) 455 (million)
\end{tabular} \& B1
M1

A1 \& | Allow for sight of 16/360 to 20/360 |
| :--- |
| Award of M1 implies previous B1 |
| FT 'their 100-50-25-10-5-5' or use of 16/360 to 20/360 |
| Allow embedded ' $5 \%$ ' within a repeated subtraction from 9100 million Allow place value error from misinterpretation of million, i.e. $0.05 \times 9100(0 \ldots)$ |
| Do not allow for $5 \%$ of 9100 (million) or equivalent seen without convincing working or an answer implying ' $x$ ' has been used |
| CAO mark final answer, this being the answer line if completed |
| Allow for (£) 455000000 (including in the answer space) | <br>

\hline 8(b) 370000 \& B1 \& <br>
\hline
\end{tabular}

\begin{tabular}{|c|c|c|}
\hline \begin{tabular}{l}
8(c) Any one of: \\
- \(\frac{(900-828)}{900}(\times 100=8 \%)\) \\
- \(0.08 \times 900(=72)\) \\
- \(0.92 \times 900(=828)\) \\
- \(100 \times 828 \div(100-8)(=900)\) \\
- \(828 \div 900(\times 100)(=0.92(92 \%))\) \\
Indicates or implies 'Yes' AND as appropriate: \\
- \(\left.\frac{((900-828)}{900} \times 100=\right) 8 \%\) \\
- \(\quad(900-72=) 828\) \\
OR ( \(828+72=) 900\) \\
- \((0.92 \times 900=) 828\) \\
- \((100 \times 828 \div(100-8)=) 900\) \\
- \((100 \%-92 \%=) 8 \%\)
\end{tabular} \& M1 \& \begin{tabular}{l}
A correct evaluation of an appropriate calculation implies 'Yes' irrespective of the box ticked \\
Match 'A' mark to corresponding 'M' mark, i.e. \({ }^{\text {st }}\) bullet points match, \(2^{\text {nd }}\) bullet points match, etc.
\end{tabular} \\
\hline \begin{tabular}{l}
8(d) (Electricity cost is) \(828 \times(£) 0.18\) \\
(£) 149.04 or 14904 (p) \\
(Cost of electricity and standing charge is \(£ 149.04+65=)(£) 214.04\) \\
(Total bill includ VAT at 5\% (£10.70(2)) \(1.05 \times 214.04\) or equivalent \\
(£)224.74(2)
\end{tabular} \& \begin{tabular}{l}
M1 \\
A1 \\
B1 \\
M1 \\
A1
\end{tabular} \& \begin{tabular}{l}
Accept \(828 \times 18(\mathrm{p})\) \\
If units are given they must be correct Accept \(£ 149.04\) p \\
FT provided 828 used in a calculation for 'their cost of electricity' \\
FT from 'their total of electricity and standing charge' Allow ( \(£\) ) 224.75
\end{tabular} \\
\hline \begin{tabular}{l}
9(a) Sight of (\$) 12000 \\
(Tax at \(20 \%\) ) \(0.20 \times 12000(=\$ 2400)\)
\end{tabular} \& \[
\begin{aligned}
\& \mathrm{B} 1 \\
\& \mathrm{~B} 1
\end{aligned}
\] \& Ignore £ for \$ \\
\hline \begin{tabular}{l}
9(b) \\
(Tax at \(25 \%\) ) \(0.25 \times 3000\) or \(0.25 \times(25000-22000)\) or equivalent \\
(\$) 750 \\
Total tax due \\
(\$) 3150 \\
Refund due ( \(4000-3150=\) ) (\$) 850
\end{tabular} \& M2
A1
B1

B1 \& | Ignore £ for \$ |
| :--- |
| M1 for 25000-22000(= \$3000) |
| CAO, not FT |
| Allow for the correct sum of 2 amounts of tax derived from use of $20 \%$ and $25 \%$ rates |
| FT 4000 - 'their derived 3150 ' provided 'their derived 3150' < 4000 and 'their derived 3150 ' $=2400$ | <br>

\hline \[
$$
\begin{aligned}
& \text { 9(b) Alternative method: } \\
& \text { Sight of } 25000-22000(=\$ 3000) \\
& 25000- \\
& \begin{array}{ll}
(0.80 \times 12000+0.75 \times 3000+10000) \\
\text { Tax due } & \text { (\$) } 3150 \\
\text { Refund due } & \text { (\$) } 850
\end{array}
\end{aligned}
$$

\] \& | B1 |
| :--- |
| M2 |
| A1 |
| B1 | \& | M1 for sight of |
| :--- |
| $0.80 \times 12000+0.75 \times 3000+10000$ |
| FT 4000 - 'their derived 3150 ' provided 'their derived 3150' < 4000 and 'their derived 3150' $=2400$ | <br>

\hline
\end{tabular}

